

## SECTION 9 THE JET PUMP

When the flow of a fluid is induced by a jet of the same fluid from a fan or pump, the device is known as a jet pump or ejector. The theory underlying this action is the transfer of momentum and the energy supplied minus the total friction losses will give the energy available in the induced flow.

The efficiency of a jet pump is inherently low and it demands care in design in order to approach conditions which may be termed satisfactory. The application in air flow is chiefly exhausting of fumes from chemical hoods or from spray booths, the purpose being to spare the fan from corrosive action or prevent clogging with deposits.

### Design Data

The diagram on page 351 shows a typical jet pump consisting of a primary air nozzle and fan, a throat section and a diverging cone. The discharge may consist of a duct attached to the large end of the cone or it may terminate in a stack with conventional rain cap. The suction end will usually consist of an inlet duct or simply an open hood from which the gases are drawn.

The design of the apparatus is often along purely empirical lines, the conditions of flow being required to fit some standard design in order to avoid this difficulty it is better to know the limiting conditions of the principles involved and thus, where possible, design for maximum efficiency. We may write  $E = Q_j P_j$ , (273)

$$\eta = \frac{C_e}{C_j} \quad R = \frac{P_d - P_s}{P_j - P_d} \quad R = \frac{A_j}{A_d} \quad (274) \quad (275) \quad (276)$$

where  $\eta$  = efficiency of jet pump

$C_e$  = quantity of secondary flow (suction)

$C_j$  = quantity of primary flow (main jet)

$P_d$  = total pressure in discharge line

$P_s$  = total pressure in secondary (suction) line

$A_j$  = area of jet

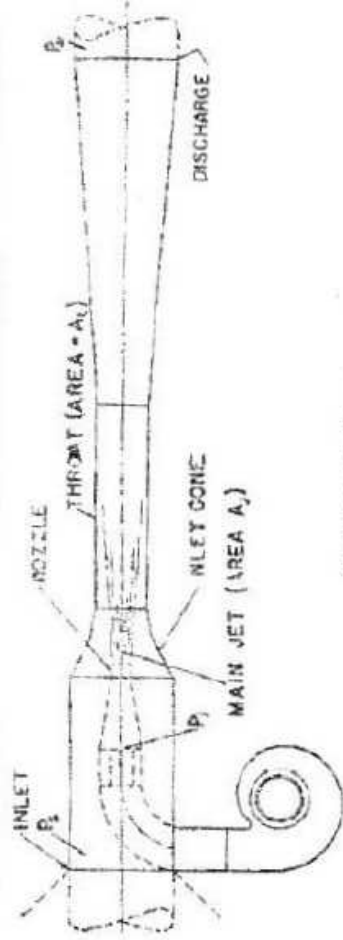
$A_d$  = area of throat

$\eta, P, \text{ and } R$  = ratios of ratings as indicated

It may be shown that maximum efficiency depends upon the ratio  $A_d/A_j$ . The data given by the curves on page 352 are drawn mainly from tests on water by Gosline and O'Brien<sup>3</sup> at the University of California, supplemented by tests on air and water at the Buffalo Forge Company Laboratory. Curves for three conditions are given: high, average, and minimum friction. The curve of high friction is that usually found in practice and means that the losses are high either from the standpoint of friction losses in the inlet or discharge lines or from the construction of the pump itself. The curve of average friction is for a well streamlined pump similar to that of the

<sup>3</sup> Refer to page 354.

<sup>4</sup> Refer to p. 354 for additional tests by Folsom.



Typical Jet Pump

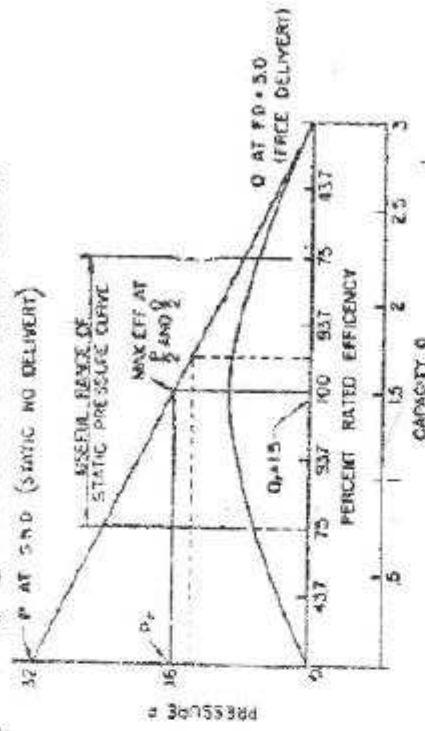
accompanying illustration. The curve of minimum friction is a theoretical curve assuming no losses in inlet and discharge lines and minimum friction in the pump itself. It is not of commercial importance but represents extreme limiting conditions, about which there is still some doubt. It is seen that for best efficiency the value of  $R$  should be from .10 to .25. Since a value of  $R = .15$  produces a smaller pump and one with nearly as good efficiency as one with  $R = .25$  it is considered to be a more economical proportion both for the jet pump and for the fan itself.

### Suggestions

For best operation the following suggestions should be observed:

- The inlet cone should be of compound form to approximate a bell mouth shape.
- The throat should be of uniform section. This is the mixing chamber and its length will depend to some extent upon the pressure ratio  $P$ . High ratios will require longer lengths in order to bring the velocities to reasonable uniformity before entering the diverging cone and to obtain the maximum benefit of the latter. Generally the length of the throat section will vary from 1 to 6 times its diameter.
- The diverging cone should have a total included angle of from 4 to 6 degrees. 10 to 15 degrees are sometimes used but these and larger angles may be used only at a sacrifice in efficiency.
- The ratio of the nozzle diameter to the diameter of the throat should be in the neighborhood of  $1/3$  to  $1/2$  for best efficiency. Where conditions make it necessary to use other proportions the curves on page 352 may be followed.
- The diameters of the jet pump at inlet and outlet are usually from 2 to  $2\frac{1}{2}$  times the throat diameter. The diameter is a compromise between the use of large ducts for low loss and small ducts for economy of material. The duct or the inlet side may be smaller than this and enlarged to join the pump. The outlet of the pump should not be larger than the discharge duct.
- The air nozzle should be well centered in the duct and should preferably have straighteners ahead of it to reduce turbulence. The face of the nozzle from the beginning of the throat section will vary from 1 throat diameter for low values of  $R$  to 1 nozzle diameter for high values of  $R$ .

relatively low velocity and low elbow loss. Where the velocity is large it may be necessary to modify this so that the flow does not take up a large portion of the inlet duct.

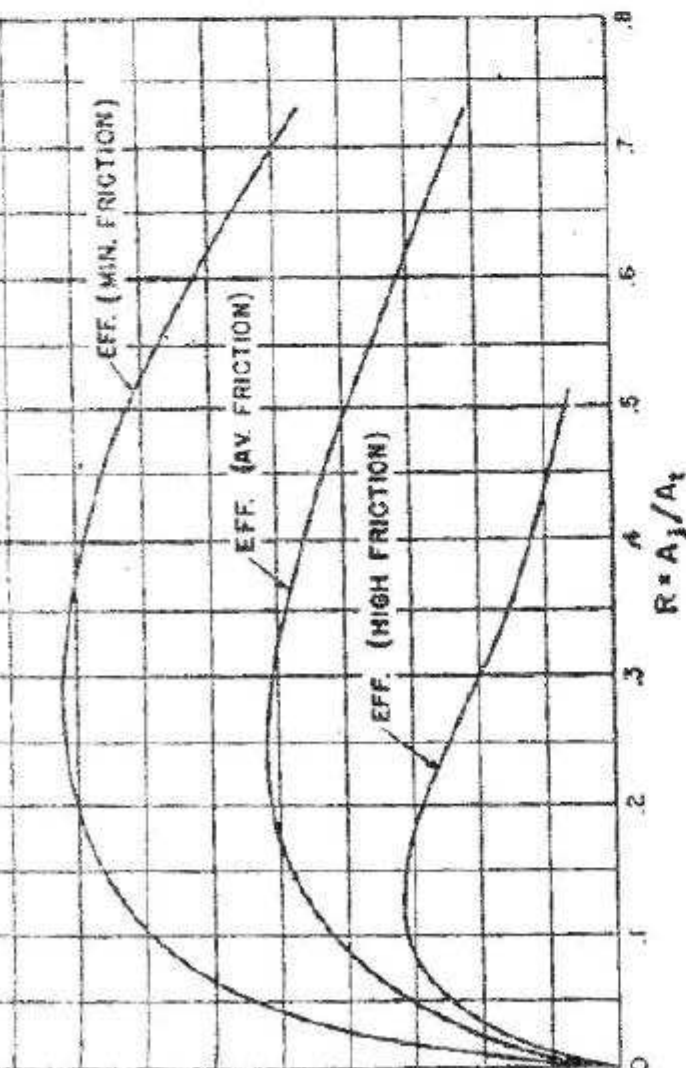


### Pressure Curve

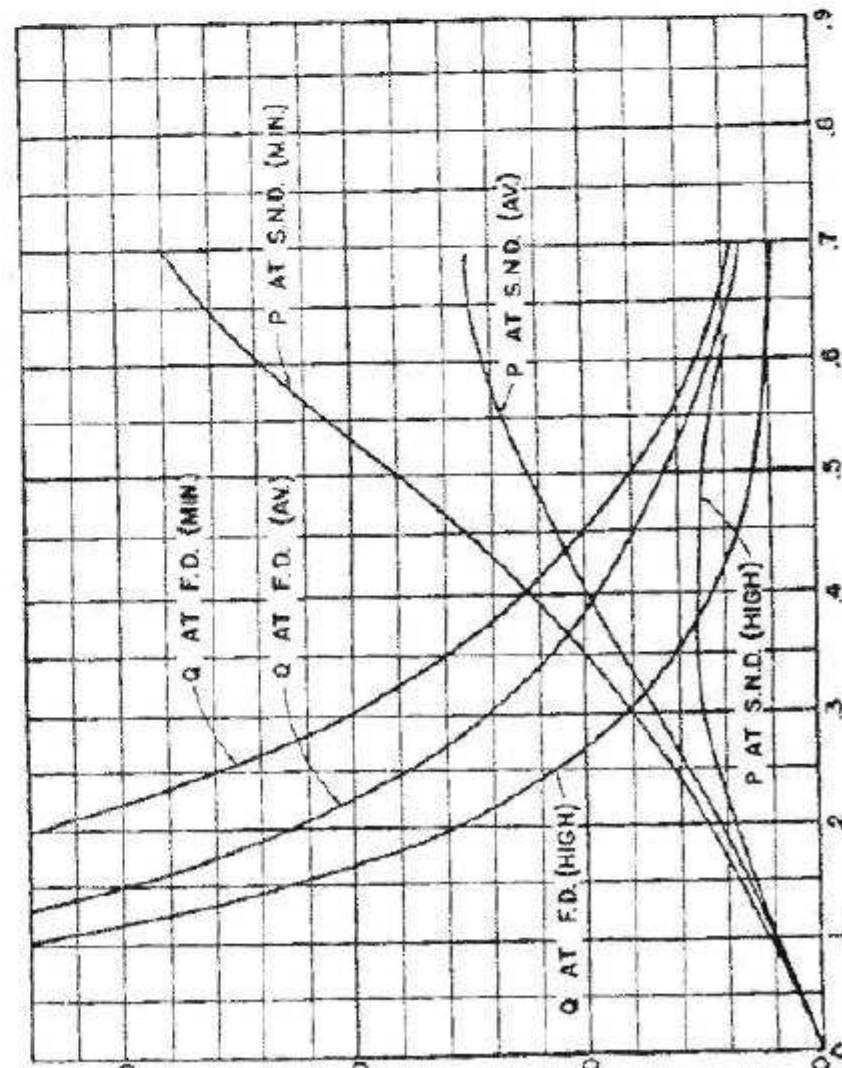
The pressure-capacity curve for a jet pump is substantially a straight line, sloping from maximum pressure at zero capacity, static no delivery or *SND*) to maximum capacity at zero pressure (that is, free delivery or *FD*). Although for large values the curves are concave upward and for small values, conversely, the middle half in each case can be very closely represented by straight lines whose intercepts on the two axes are given by lower curves on page 352. Since maximum efficiency will occur midway along these lines we may assume

$$P_r = \frac{1}{2} P \text{ at } SND \text{ and } Q_r = \frac{1}{2} Q \text{ at } FD \quad (277)$$

As an example of the design of a jet pump assume we induce a flow of 2500 cfm and the static resistance of the suction line is 1.125" with free discharge, what air and pressure be used at the fan nozzle and what are the best proportions for the construction of the venturi? The velocity pressure suction line for the above conditions is .125" so the total pressure at the inlet to the jet pump = 1.125 + .125 = 1.25". If we jet pump that is fully streamlined, as shown in the accompanying illustration we may assume an overall efficiency of 24 per cent  $R = .15$  which will produce an economically proportioned nozzle to throat diameter =  $\sqrt{.15} = .388$ . From the curves on page 352 we can obtain the constants  $Q$  at *FD* and  $P$  at *SND*, for  $R = .15$  and accordingly find  $Q$  at  $FD = 3$  and  $P$  at *SND* = 32. Taking the mid-point for best conditions (24 per cent efficiency) as read from the efficiency curve for  $R = .15$ ,  $Q_r = 1.5$  and  $P_r = 16$ . Substituting in formula 274,  $1.5 = 2500/Q$ , and  $Q = 2500/1.5 = 1667$  cfm. Substituting in equation 275  $16 = \frac{2500}{Q} \sqrt{\frac{P}{1.25}}$  and



Efficiency of Jet Pumps





th of throat section should be about 3 diameters long or about 10 inches from the throat.

the diameter of the suction and discharge lines to 1.25 jet pump made 2 to 2½ times the throat diameter we will have by entrance and effective regain in the diverging cone. Let us assume a 28" and 32" discharge. The 18 inch suction line should be connected to the 28" suction inlet of the pump by a diverging connection. This will reduce the velocity around the jet elbow and minimize disturbance. The diameter of the fan duct will be approximately 2 times the nozzle diameter and may be 10" in this case. Obtain the pressure at the fan the losses in the nozzle straightener, w and duct should be added to the 7.8" nozzle pressure. These be calculated independently but in general will be from 5 to 10 per cent. of the nozzle pressure. Assuming 7½ per cent., the fan pressure will be 1.075 X 7.8 = 8.4".

we may prove that the values of Q, and P, for the mid-point do work out as desired, in which case any other point may be obtained using the oblique line as if it were a fan test curve. Thus,  $Q = 0.6$  of  $3 = 1.8$  is taken as the volume ratio than  $P = 1$  of  $.32 = .32$  may be taken as the pressure ratio. Note that if 1 of Q at FD taken, then the value to be taken for pressure is  $(1 - .32)^2$  at SND P at SND. The efficiency as given from the efficiency curves is the mid-point. To find efficiency for other than mid-point rating multiply relative capacity by relative pressure and divide by former

duct. Thus in this case,  $eff = 24 \times \frac{.6 \times .4}{5 \times .5} = 24 \times .96 = 23$  per cent.

the effect of temperature on the performance of a jet pump is well established. If both primary and secondary air are at the same temperature but elevated above normal, the rule given here would seem to apply but the pressures would vary directly as the density for the same volume flow and inversely as the density for the same weight flow. If the primary air is room air and the secondary air is at elevated temperature, as is frequently the case, the exit velocity must be based on mean temperature of the mixture. Coogan's in tests of this character show that as the ratio of primary to secondary density goes up, the weight ratio goes down not as fast as might be anticipated by the density change alone.

### Bibliography

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 "Some Two-Dimensional Aspects of the Ejector Problem". J. F. Coft, C. H. Coogan, A.S.M.E. Journal of Applied Mechanics, Dec. 1942.  
 "Theory of Ejectors", H. G. Elrod, Jr. A.S.M.E. Jour. of App. Mech., Sept. 1945.  
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## FAN APPLICATIONS

The field of air conditioning encompasses the subjects of heating, ventilating, humidifying control, cooling and refrigeration and air filtration. Comfort air conditioning has been defined by the A.S.M.E. as "the process by which simultaneously the temperature, moisture content, air movement and quantity of air in enclosed spaces be maintained within required limits. If an installation cannot perform all these functions it shall be designated by a name describes only the function or functions performed." The part applications to comfort and industrial air conditioning are covered in the following sections. Problems involving drying, ventilation, and industrial-exhaust systems have proved of such importance that each has been allotted a separate section. In each section applications the importance of the fan as an integral part of an air conditioning system justifies the inclusion of the subject.

## SECTION 1

### HEATING

Heat is usually transferred to bodies to be heated by radiation or convection. Radiant heat from an open fire was probably the first attempt to utilize fuels in an attempt to keep comfortable. Later the addition of a chimney and a fireplace materially improved the efficiency of his heating system and permitted some controlled heat flow.

Modern heating methods are much more elaborate. The heating requirements can be accomplished by many methods and the industrial requirements and the results desired are the same in systems, namely to provide sufficient heat to take care of the heat loss and infiltration losses, and if ventilation is required, to provide the air required for that purpose. The art of heating consists of the oldest of air conditioning applications, and in this the fan plays an increasingly important part.

### Methods of Heating Radiation

The common radiator has been briefly discussed (see page 71) and is used in hot water and steam systems. As such, only a part of the heat is given off by radiation the remainder by natural convection. The development of the indirect heating system arose from a natural desire to augment the heating capacity by increasing the circulation, first by properly designed enclosures and second by systems. This decreased the proportion of heat purely radiated very small amount.

The newer type of radiant heating called "panel heating" is another form of heating by direct radiation. It depends primarily upon imbedding heating coils in various portions of the floor.